Urban street morphology perception: orientational versus aesthetical parametrization in space syntax

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Abstract
Current topological and geometrical distances in Space Syntax are based on the premise that each change of direction along a path is a mental cost because one loses orientation. This paper proposes to extend the analysis to the case in which aesthetic and variety, rather than orientation, are the key elements of street selection. It is widely recognized that most people are attracted to curvy paths rather than straight ones; therefore, when one is not worried about losing orientation in her walk, or when the preferred path is well recognizable even when it requires changes of direction, we should adopt another criterion to weigh distances: morphoaesthetic and networkvariety criteria are shown as potential parametrization for Space Syntax distances.

Keywords
Street preference, pedestrian behaviour, environmental psychology, urban morphology, space syntax

1. Introduction: distances and angular preferences in Space Syntax
In the second half of the 1970s, Hillier and colleagues at University College London started thinking about a set of theories and techniques to analyse spatial configurations, connections and relations between spaces, and their social effects as movements within them.

“One of the major purposes of space syntax is to understand the influences of spatial configurations on social life” (Oliveira 2016, p. 124).

One of the strengths of Space Syntax is its parsimony as it only considers the geometry of the street pattern without any other contents (land use, aesthetic, transports ...), allowing a fast, cheap and objective analysis (apart subjectivism in manual translation from streets to axial lines, or some theoretical issues when this process is automatically generated from the road centre line).

It treats the urban street pattern itself as generator of (let’s add “potential”) centralities (street centralities and also functional centralities) and (potential) flows (pedestrians, car movements) on its own. Space Syntax’s main pillars are the measure of street integration and choice.

The integration of a street (a street, once defined in its unit, could be called segment or space or line) says how easy it is to get to that segment from all other segments; it is a measure of the to-movement potential having the segment as destination. The choice (betweenness) of a segment says how likely one is to pass through it while moving throughout the city; it measures the potential that a segment has to be a route from-to all the other segments: through-movement potential.

The foundations of the above two pillars is the concept of depth: “depth exists wherever it is necessary to go through intervening spaces to get from one space to another” (Hillier & Hanson 1984, p.108). We can think about depth in terms of distance, or steps: how distant, how many steps a certain segment (space) is from the
others, where steps are direction changes of segments or are proportional to the magnitude of angular deviation.

The way to identify when a segment is one segment, and when one step is one step is crucial as all the further calculations are based on it.

If we define one segment in terms of axial line, meaning the longest line we can draw all in one along a street, also defined as the minimal set of the fewest and longest lines of sight on the street layout; and if we count one step as 1 when you go from one segment to another segment intersecting it (topological distance), we understand that a long straight street would be represented as one line and would be overvalued in comparison to sinuous, curved streets as the latter are represented by a certain number of straight axial lines, much greater than just one; namely each segment is more distant from the other segments, as more steps are separating them.

The integration ($I$) of an axial line $i$, is a function of its depth related to all the other axial lines (how many steps is distant from all the others). The latter is “calculated by assigning a depth value to each space according to how many spaces it is away from the original space, summing these values and dividing by the number of spaces in the system less one” (Hillier, Hanson 1984, p. 108).

The calculation behind $I$ is (Rashid 2017, p. 64):

$$I_i = \frac{2(n \left( \log_2 \left( \frac{n+2}{3} \right) - 1 \right) + 1)/(n-1)(n-2)}{2 \left( \sum_{j=1}^{n} d_{ij} \right) - 1} / (n-2)$$

(Eq. 1)

where $n$ is the number of axial lines in the urban street area considered, $d_{ij}$ is the shortest distance (least number of steps) between two axial lines $i$ and $j$.

From eq. 1 is clear how $d_{ij}$ (depth) is treated as a cost\(^1\), in fact it is at the denominator of the fraction: the greater the number of steps ($d_{ij}$) among streets (axial lines), the lower the integration ($I$).

The calculation behind choice (or betweenness), $C$, of an axial line $i$ is:

$$C_i = \sum_j \sum_k g_{jk}(i) / g_{jk}(j < k)$$

(Eq. 2)

where $g_{jk}(i)$ is the number of shortest paths between line $j$ and $k$ containing $i$, and $g_{jk}$ is the number of all shortest paths between $j$ and $k$ (Rashid 2017, p. 64).

Also from eq.2 we see how the definition of shortest paths plays a central role in determining the numerical value of choice: having a high number of axial lines in between (namely having to turn several times, as for a sinuous route) is seen from eq. 2 as at cost, in fact it considers only the shortest paths (minimum number of steps, or of turnings, from line $j$ and $k$).

In the segment analysis (axial lines are broken into segments [which here we can still call lines] each time they cross each other) this problem is mitigated as distances are weighted (Turner 2007) in relation to the angle between lines (geometric distance): the greater the angle the greater the value of the distance among the lines, from zero (no turn) to 2 (180° turn); if the angle is zero the distance is zero too, namely it is considered as a same line instead of two; if the angle is 90° the distance is 1, if 45° is 0.5, and so on. However, the assumption that people prefer to change angle as little as possible is still on the basis of the calculation of distance (the greater the angle between two lines the greater their distances) or on the identification of lines (each small turn, out of the lines of sight, brakes the street into several lines).

The angular integration ($AI$) of a segment $x$ is:

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\(^1\) Which is fine; the discussion opened by this paper is whether is always fine to calculate depth in ways that change of directions is valuated as a cost, therefore adding more depth.
\[ AI_x = \frac{1}{n} \sum_{i=1}^{n} d_\theta(x, i) \]  
(Eq. 3)

where \( n \) is the number of lines (segments), and \( d_\theta \) the angle between the angle between any two segments on the shortest path on segment \( x \) (Rashid 2017, p. 66).

If we weight by the length of segments:

\[ AI_l^x = \frac{\sum_{i=1}^{n} d_\theta(x, i)l(i)}{\sum_{i=1}^{n} l(i)} \]  
(Eq. 4)

where \( l \) is the length of segment (Rashid 2017, p. 66).

Even if we choose only the Euclidean option (metrical distance: metres between the centres of neighbouring lines), instead of topologic or geometric, to measure distances among lines, if we decided to break a street into 3 lines instead of 1, because it is sinuous, the resulting number of steps (distance, depth) among lines are altered anyway because we are measuring distances among lines that wouldn’t have existed, or vice versa.

Criteria to define lines (among an immense literature see for example Porta, Crucitti, Latora 2012 or Batty and Rana 2002) and distances (among many others, see for example Feng and Zhang 2017, Batty 2004, D’Acci 2015, Bera and Claramunt 2002) are therefore crucial.

Space syntax’s integration and choice base their, respectively, “how easy it is to get to” and “how likely one is to pass through” in relation to “shortest journey routes between each link [or space] and all of the others in the network (defining ‘shortest’ in terms of fewest changes in direction)” (Hillier 1998, p. 36). This assumption that people prefer moving through routes with as few changes of direction as possible, permeates space syntax’s main idea: “[…] human movement followed least angle change paths and not shortest paths (the most likely explanation being that people use an angular geometric model of their environment to calculate distances), so the least angle change definition of distance is the default setting in DepthMap (Hillier & Iida 2005). Large numbers of studies have failed to suggest any reason why this should be changed” (Hillier 2009, p. 4).

Again in Turner (2007 p.540) we read: “[…] the sum of the angles turned from the starting segment to any other segment within the system […] This angular sum is treated as the ‘cost’ of a putative journey through the graph, and from it a shortest (that is, least cost [namely least turns]) path from one segment to another across the system can be calculated”.

However, while this aim to minimize the change of directions for orientation issue has been often demonstrated and it is also in line with common sense, this certainty that people always define “shortest” (mentally shortest) in terms of fewest changes in direction needs more attention in a ceteris paribus context. In fact, ‘changes in direction’ may not add complexity in mental orientation in the following, at least, three cases:

1. because of a continuous (no intersections) path;
2. or inside an easily recognizable path (regardless of how many times and how much one should turn or meet intersections);
3. or because the pedestrian knows the area by heart.

Different methods and supporting theories are used to define distances related to street geometries, and in this paper we want to explore if the assumption that paths with least changes of direction are preferred, and also felt as shorter, against paths with greater changes of direction.

Aesthetical preferences: some implications for Space Syntax

“Factors influencing walking behaviours related to physical built environment attributes are listed, among many authors, in Hodgson, Page and Tight (2004); Wang, Chau, Ngb and Leung (2016); Frank, Shmid, Sallis, Chapman and Saelens (2005); Owen et al. (2007); Shigematsy et al (2009); Owen et al (2004); Giles-Corti and Donovan

Fig 1 shows examples of straight and curvy streets, even if not directly comparable among themselves because of different street sizes, contents, façade, land use, cars/pedestrians, etc.

Going back to Space Syntax, “[...] the topology of relations between lines of sight [...] is in essence what space syntax is all about” (Batty 2004).

As Batty, also Porta, Crucitti and Latora (2012) more recently reminded us that “the two pillars of the space syntax castle” are “the dual representation and the generalization model”; where for dual representation is
meant the translation from streets into nodes and from intersections into edge in a graph network (see as example fig. 4, graphs 5a,b,c in Porta, Crucitti and Latora 2012); and for generalization is meant the complexity reduction process where streets are merged following specific principle of continuity. In the standard Space Syntax, the latter is the “straightness” (line of sight, unobstructed movement, no change of angle among adjacent segments, ...) of street spaces.

The criteria selected to generate the dual representation of street network and the principle of continuity are at the very base of everything else built on it (as centralities indicators): “network centrality measures, such as [...] closeness and choice [...] are based on the calculation of shortest routes and attempt to model human movement, they should incorporate how we judge distances. In traditional space syntax distance is measured by the angular change accrued at junctions along a route and elsewhere it is often measured as the physical length of the route” (Frith 2017).

The conceptual and computational pillar of Space Syntax’s conception of distance – which in turn is the base to calculate its main network centrality measures (integration and choice), whatever in axial or angular segment analysis – is that changing direction is a cognitive cost, therefore increases the mental distance.

According to the classical axial analysis of Space Syntax, the garden on the top left in fig 2 is cognitively more distant2 (route A), than the garden in the same figure on its right (route B); however, 84.4% of 102 respondents of a questionnaire (D’Acci 2019) said to prefer route A to reach it by walking, and only 11.7% B route, while for 3.9% was indifferent.

In the same way, axial analysis says that the end of the route A in fig 2 top right is more distant4 than the one on its left (route B); however, 75.3% of the same respondents preferred A instead. In an additional question about the perceived length it also emerged that for 56.9% of respondents A is perceived as shorter than B, for 12.7% as equally long, while only 30.4% felt B to be shorter (D’Acci 2019).

The above analysis offers an occasion of reflection and possible improvement in the techniques buildable in future Space Syntax computations in order to be able to enlarge the applications of models.

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2 Distant “4”: three steps, as three changes of direction out of the line of sight, namely four axial lines; or distant “3.5” if in terms of angular segment analysis considering that the pedestrian turns 3 times of approximately 90°, and once of approximately 45°, where the angular cost is calculated between 0, for zero angle of change direction, and 2, for 180°, therefore 45° is counted as 0.5 and 90° is counted 1.

3 Stated Preference approach is linked with traditional microeconomics consumer behaviour theories, marketing and preference theory (Häfner, Zasada, van Zante, Ungaro, Koetse & Piorr 2018; Louviere, Hensher, & Swait, 2000). Although it is well known that the Stated Preference method can be systematically biased, it can still provide reliable indications about underlying preferences (Wardman 1988). For example, in a study “in 80% of the respondents the stated and revealed preferences corresponded” (Lambooij, Harmsen, Veldwijk, de Melker, Mollema, van Weert and de Wit 2015). Stated Preference approach for pedestrian preferences appears in several studies, such as Kelly et al., 2011, Kaparias et al., 2012. An overview about revealed and normative preferences is in Beshears, Choi, Laibson and Madrian (2008).

4 Distant “2 or 3”, as two or three steps, according to how you draw the axial lines; or distant “1.5” under angular segment analysis (you turn 45° for 3 times).
Route angularity and complexity-minimizing paths suggest that pedestrians, consciously or not, tend to reduce as much as possible the number and the angle of turns when selecting routes. This is truth for pedestrians not familiar with the area in which they are walking where the needed route is not easily recognizable when changing directions in intersections. Therefore, a crucial point is: who is turning? The street or the pedestrian? And, in the case of the pedestrian:

1. how much does the pedestrian know the area?
2. in the case of intersecting streets, how much the continuity of the – potentially desired – turning route is legible, regardless the number and magnitude of the turns and intersections?
This paper shows that sinuosity in continuous urban street layout geometry – meaning higher numbers and greater angles of turns along a street than an equivalent rectilinear street layout – is largely preferred from pedestrians as cozy, romantic, stimulating, creating a more enclosing and human scale feeling.

If this is the case, in methods such as Space Syntax, we should contemplate the opportunity offered, or addible, to Space Syntax and similar methods, to parametrize curvy paths in a way that (contrary to quasi-linear element or to the usual way to count turns as a cost) curvier means closer, not more distant (change in directions is a mental cost, as the “default” Space Syntax theoretical and computational foundation and its various parametrizations) than a roughly equivalent (in terms of metric distance) straight path, or equal to a straight path (as approximated in the quasi-linear elements).

Regarding Space Syntax and similar methods of street network morph-topological analysis, this paper opens up discussions (without aiming here in proposing solutions) on parametrization:

1) when a single street (continuous: without intersections) is curvy and axial line/s (and related segment/s from the associated segment analysis) “cut”, approximate it, measuring the street as less distant from the neighbouring ones (by cutting the curve, each axial line less removes a step, as well as each segment less may – depending from the specific route geometry\(^5\) – reduce the total angle of the path);

2) when, within similar metrical distances, alternative paths (as a sequence of axial lines or segments, both across intersections this time) are present with different number of turns (axial lines/segments).

Case 1) happens with the quasi-linear approximation (see also the “pseudo nodes” in fig 2 in Stavroulaki, Marcus, Pont and Nilsson 2017), where under a certain angular threshold between adjacent lines, the latter are considered as a single line;

Case 2) involves actual route decision points (junctions in the intersections).

The network of streets, the spatial relationships of connectivity, is based on depth, which in turn is based on how many steps (for topological analysis) one street is distant from the others (or how much the angles among them for angular analysis), which in turn means that the more axial lines (or the greater the angle, if in segment analysis) the greater the depth.

One of the reflections of this paper is the aim to test if it is always the best option to consider a curvy line (and also, with some precautions, a curvy chosen path) as several axial lines, as well as to weigh negatively the angles among segments. And as at the very base of all the above is the fact that people prefer to change direction as less as possible, here was tested if, when people don’t need to be worried about orientation, and complexity of paths, this assumption is still valid.

One of the main consequences of this paper, when applied to Space Syntax approach is related to the question: when to define a street as a single street (which principle of continuity to adopt)? As axial lines usually cut a “single” street into different axial lines that per definition are lines of sight, or segment analysis considers a cost proportional to the angle, even if you can parametrize this “cost”.

According to the results of this questionnaire (as simple as effective and whose potential theoretical and computational consequence may be rather relevant as radically inverting the way to count change of directions in centrality measures under the before mentioned situations), it would be worthy to investigate pedestrian preferences more in detail in further research, and if confirmed, to consider the option to rethink angle changes as a mental pleasure and shortening effect instead than the opposite\(^6\), when we are evaluating pedestrian very

\(^5\) In angular segment analysis what matters is the total change of angles direction along a path, therefore if along the path you always turn on the same direction (for example left), turning 5 times of 18° is equivalent to turn once of 90°. On the contrary if, along a path, you alternately turn 5 times, once on the left, once on the right, of 18° each, the total angle is still 90° but if you approximate the latter path with one axial/segment line this 90° will become 0°. While in the first example if you approximate the path with two axial/segment lines, the final result in terms of total angle is the same (90°).

\(^6\) As currently being the conceptual and computational foundation of Space Syntax.
familiar with the area or when the route potentially preferred is easily legible (or in the extreme case, physically continuous) even if constantly turning.

The radical shift proposed in this paper is to consider angular deviation as a cognitive benefit rather than a cost. Angular choice currently “is calculated by counting the number of times each street segment falls on the shortest path between all pairs of segments within a selected distance (termed ‘radius’). The ‘shortest path’ refers to the path of least angular deviation (namely, the straightest route) through the system” (UCL Space Syntax 2018). As well as Angular integration “is the reciprocal of the normalised angular total depth. It can be compared across systems. It measures how close each segment is to all others in terms of the sum of angular changes that are made on each route” (UCL Space Syntax 2018). Again, Choice, or Betweenness Centrality “is a measure for quantifying the probability that a street segment falls on a randomly selected shortest path linking any pair of segments. Mathematically it is effectively the same as the space syntax measure of choice” (UCL Space Syntax 2018). And, as we saw, shortest path, as for Integration from axial analysis, is again built on the concept of Depth which, for Space Syntax, is itself calculated by assuming each turn (each axial line) as a cost (greater Depth among streets/spaces), also from recent parametrizations of distances.

Discussion: Orientational versus Aesthetic parametrization of distances

For all these reasons we can label the topological (change of directions or not) and geometrical (magnitude of change of direction) distances as Morphocognitive Distances (McD), within which we ontologically and computationally separate two families of distances according to their object of applications: Morphorientational Distances (MoD) and Morphoaesthetic Distances (MaD); the former are those currently used from Space Syntax, considering change of directions as a cognitive costs because reducing orientation, the latter as those whose this paper opens a discussion about and evaluates change of directions not from the point of view of orientation but from the appeal of different paths shape per se. “Morpho” because considering only the attractiveness coming from the forms of the street (for a single continuous street) or of the path (when selecting a certain sequence of streets), regardless to everything else (aesthetic of facades, presence of shops, public transports, noise, amenities, ...). If we merge the metrical distance (Euclidean Distances, ED) together with the morphocognitive ones, we may call them as Euclidean Morphocognitive Distances (EMcD).

\[
\text{axial analysis } \rightarrow \text{ topological:} \\
\text{MoD } \propto n \\
\text{MaD } \frac{1}{n}
\]

\[
\text{segment analysis } \rightarrow \text{ geometrical:} \\
\text{MoD } \propto \alpha \\
\text{MaD } \frac{1}{s}
\]

7 With physically continuous, as before, we mean without intersections, junctions along the path with other streets.
8 The italics are ours.
9 http://otp.spacesyntax.net/term/angular-choice/
10 The italics are ours.
11 The italics are ours.
12 http://otp.spacesyntax.net/term/angular-integration/
13 The italics are ours.
14 http://otp.spacesyntax.net/term/betweeness/, http://otp.spacesyntax.net/term/choice/
15 To be more accurate, in case of a single continuous street (as from the questionnaire of this paper) the potential loss of orientation is related to the cardinal points and our own position within the area, rather than the loss of direction to follow to reach a destination. In fact, the latter is guaranteed from the continuity of the street anyway, regardless how many times one needs to turn one’s own body along it. See also note 17.
where \( n \) is the number of axial lines (as indicator of how many times one changes directions), \( s \) the number of segments having an angle different than zero among their adjacent ones; and \( \alpha \) is the angle between adjacent segments.

The next figures (Fig. 3 and 4) show examples of comparisons among metric, topological, geometric and morphoaesthetic distances (depth) and choice.

If we want to be more precise, we may also distinguish between the two cases: continuous street (without intersections), and streets layout with a set of streets joining among each other. The first case falls in the above mentioned Morphocognitive distances, while the second in the Networkcognitive distances (NcD) as implying an actual route decision in each intersection among streets part of a network (Fig. 4). In this case we don’t talk anymore about the aesthetic of the street shape (less or more curvy), but about the boredom of no changes of direction along your walk: Morphocognitive distances (McD) are related to the visual boredom while Networkcognitive distances (NcD) to the ‘psychological’ boredom.

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16 It is inversely proportional to the number of segments rather than angles, because (at least for what we can know for this questionnaire) it wouldn’t matter much the actual magnitude of the angles of turns, but the fact that there are turns.
17 Route II in fig 3 drives you from A to B, or viceversa, without you getting worried about orientation as it is a single (curvy) street. The points where Routes I and II meet each other are actual decisional points (route I or route II?) but the reader will understand the difference between this kind of route decision and the one involved in the NcD.
18 In this case the potential loss of orientation is both related to note 14 and to the loss of direction to follow to reach a destination.
Within NcD we distinguish, as before, Networkorientational distances (NoD) and Networkvariety distances (NvD). We call Networkvariety instead of Networkaesthetic to underline that in this case the visual component is not involved, because the view you see for example at the beginning (from A to B) of Route I, II and III is exactly the same, what changes is knowing that in one case you will walk all the time in the same scenario that you can see, while in another case not.

Fig 4 Three possible routes, among many, have been compared: route I (red), route II (violet), and route III (green). Streets A and B are the streets of origin and destination. On the bottom right of the image the total angles are shown between A and B (the double arrows linking A and B) along the three different routes (each indicated above the double arrows).

Conclusion

Space syntax regards NoD and MoD, while this paper opens a discussion proposing NvD and MaD when the model is toward people knowing the areas, or not worry to get lost, or when the continuity of the potentially preferred (NvD or MaD) route is obvious or very well recognizable.

The questionnaire of Fig. 2 doesn’t refer to networks of streets (NcD), but only McD; only a street shape was deliberately shown in the figures, instead of asking within a street pattern which street sequence people prefer. Further research should also test paths decision and in real urban context from the point of view of pedestrian knowing well the area, or aiming to randomly explore it. In fact, because of the possible difference between stated and revealed preferences, the former should be verified by empirically investigating actual pedestrian’s movement. However, it would be almost impossible to find streets(paths differing only in their shapes and to isolate the real motivations behind pedestrian’s decisions. The latter may decide a route not because of its

\[ \text{As in min 22:50 in https://www.youtube.com/watch?v=ncff2SfcQAs, or Figure 0-2 in Turner 2000.} \]
shape but because of the contents (shops, services), the aesthetics (façade, urban design), the accessibility (public transports stops, pedestrian areas, underground car park), the linkages between amenities (a street in between amenities), the quietness (congestion, crowded), and so on. Perhaps only with a 3d virtual reality could the above task be tested. The drawings enable us to hold fixed all the other factors while changing the shape of the street, so that the we limit the third variable problem. Similar research approaches (photorealistic montages, digitally calibrated images, visual stimuli, video-stated preferences, real photos) testing landscape aesthetic preferences are used by Dachary-Bernard and Rambonilaza, 2012; Grammatikopoulou, Poula, Salmiovirta and Soini, 2012; Dramstad, Tveit, Fjellstad and Fry, 2006; Arnberger and Eder (2001); van Berkel and Verburg, 2014; Orland, Daniel and Haider, 1994; Hagerhalla, Purcella and Taylor 2004; Taylor, Spehar, Van Donkelaar and Hagerhall 2011; Perdomo et al., 2014.

“The key concept for angular analysis is the idea that a body will turn as little as possible to achieve a route from A to B. That is, the body will choose the route which will result in the minimum change in direction [...] Whether or not real bodies choose this route is not an issue to the angular analysis of a space, which is merely concerned with the quantification of a space in terms of its layout [...] The complete prediction system might weight the number of locals to tourists, the numbers arriving at each tube station, those by car, and so on and so on. Angular analysis does not claim to be that prediction system, but merely a quantification of space useful to the prediction of movement or occupancy” (Turner 2000). Therefore, as Turner wisely originally indicated, Space Syntax doesn’t directly aim to predict movement, but to quantify space, mostly topologically21. However, even if we want to stay on the purely topological dimension, therefore excluding any metrical and land use, transports, etc... in this paper we open a discussion and further investigation about the fact that pedestrians may22 not prefer neither the minimum Euclidean path (as usually selected from local pedestrians, Turner 2000), nor the minimum angular path (usually associated to tourist, Turner 2000), but the opposite: the “maximum” angular path even23 if a bit Euclideanly longer.

Physical environment is different than psychological environment; understanding people’s perceptions and preferences of street layouts is beneficial to compute better algorithms, equations, rules modelling pedestrian behaviours and to urban design and planning for building a more pleasant environment from the humans’ cognitive point of view. The issues faced in this paper are not just related to space syntax methods but to any models assessing distances between streets in a topological-geometrical-psychological way rather than purely metrically.

Bibliography


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20 “Mostly” as there are more and more parametrizations and weighting methods to include metric distance and other aspects in the traditional Space Syntax analysis, even if the main core is still topological.

21 “Space Syntax approaches privilege the topological properties of a space over its geography, because people tend to behave (i.e. move) in ways that are based on topology (Ostwald, 2011). As a result, a Space Syntax approach uses graph theory because it provides the perfect basis for analysing topological relationships” (Behbahani, Gu, and Ostwald 2014).

22 “May” because, to be precise, the questionnaire of this paper didn’t ask to select a path among many in the same street layout, but simply between a straight path and a curvy one.

23 Only the 30% of pedestrian perceived as shorter the straight path in the questionnaire of this paper, and, apart from this, the preference toward curvy paths may offset a shorter but straight path (“how much shorter” may be subject of further investigations).


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